

Two-dimensional simulation
of Early Martian atmospheric convection
with the major component condensation
– Parameter experiments
on critical saturation ratio
and number density of condensation nuclei –

Tatsuya YAMASHITA

M. ODAKA, K. SUGIYAMA, K. NAKAJIMA,

M. ISHIWATARI, Y.-Y. HAYASHI

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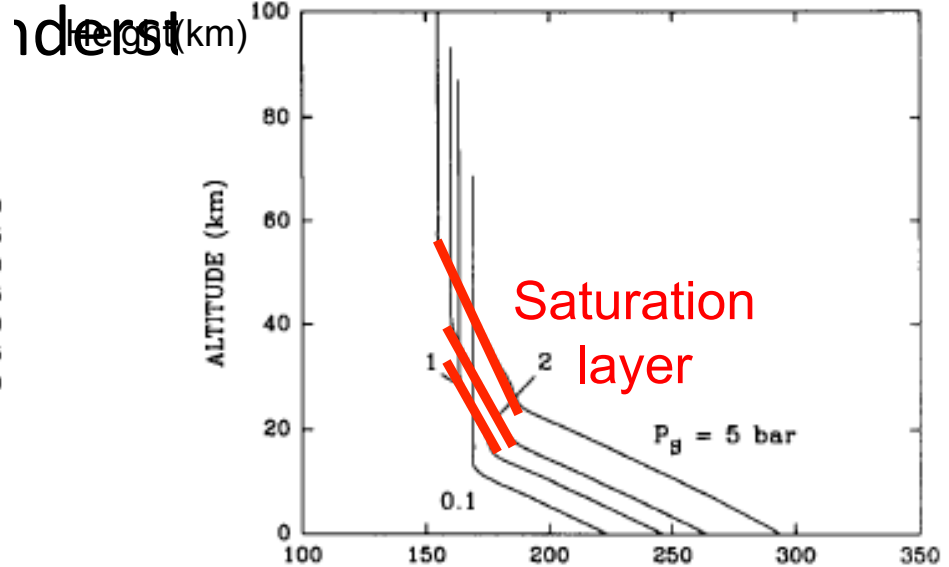
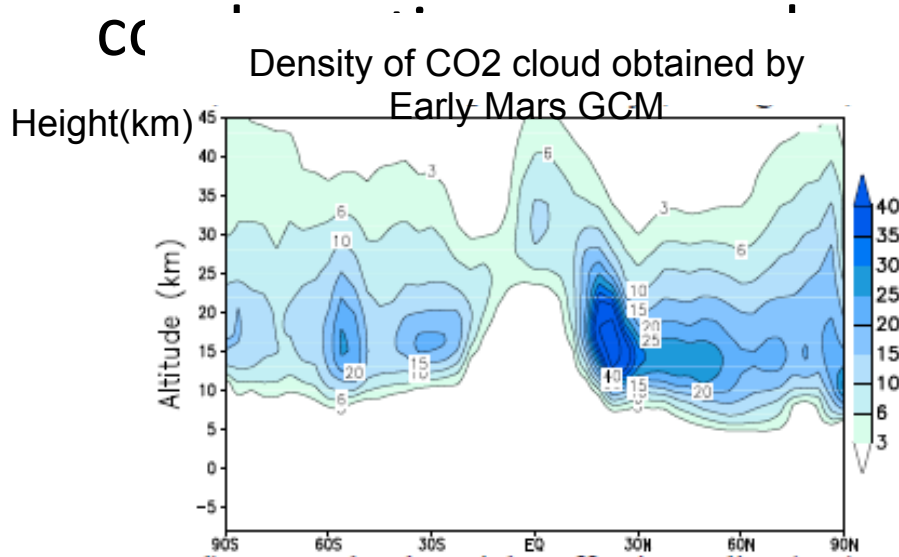
Kobe, CPS

Major component condensation in Martian atmosphere

- Major component, CO_2 , condenses in Martian atmosphere
 - Present Mars: Clouds in the polar region (Pettengill and Ford, 2000)
 - Early Mars: Clouds in wider area (Kasting, 1991; Mitsuda, 2007; Forget et al., 2013), Scattering greenhouse effect (Forget and Pierrehumbert, 1997)

• Structures of convection with major component

Temperature obtained by 1D radiative-convective model



Forget et al. (2013)

Latitude

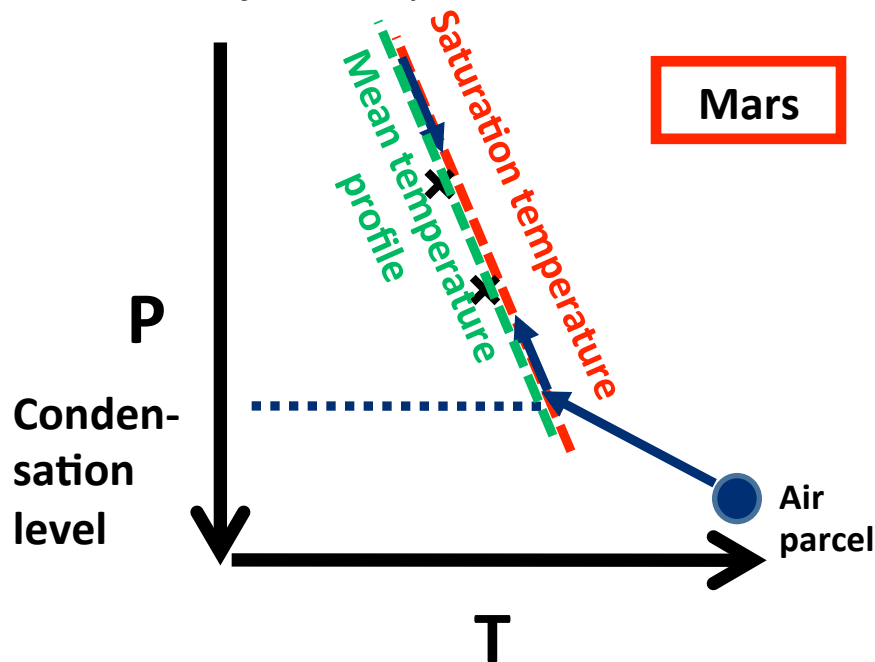
Temperature(K)

Kasting (1991)

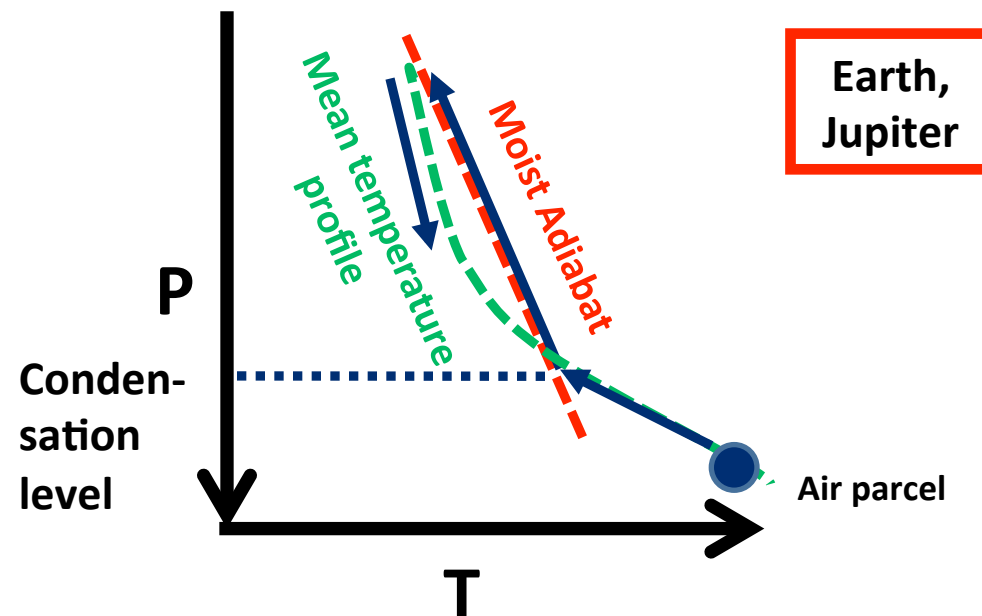
Little buoyancy is obtained when major component condenses

- **Little buoyancy force** acts to the vertically displaced air parcel because temperature and pressure are **constrained to the saturation relation** (Colaprete et al., 2003)

Major component condensation

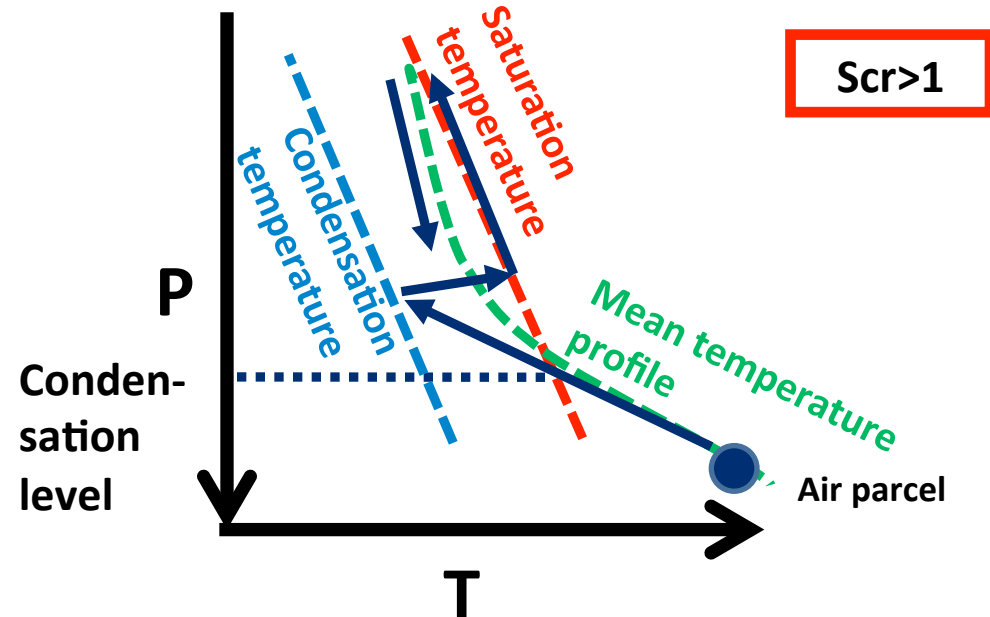
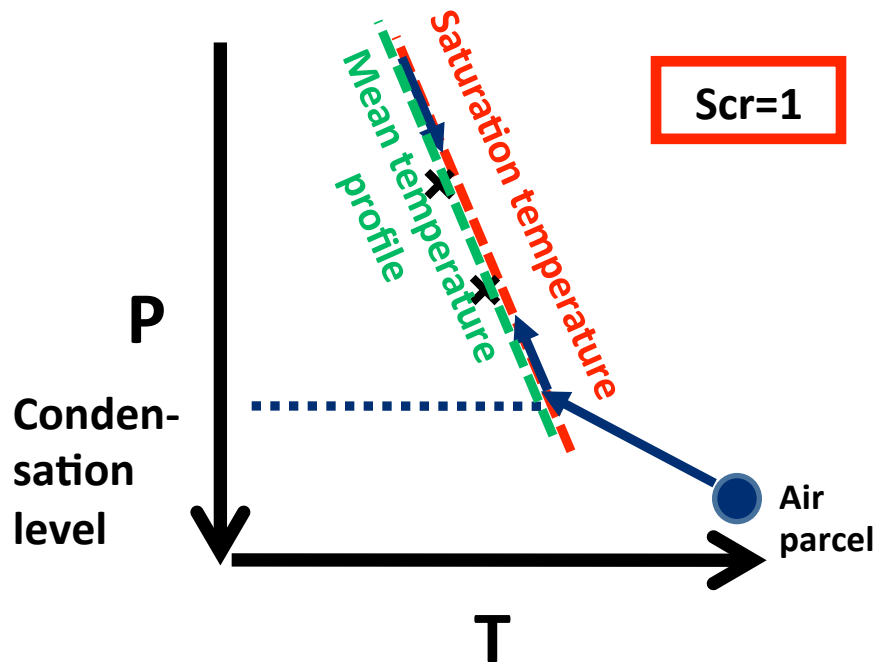


Minor component condensation



Buoyancy can be obtained if **critical saturation ratio(Scr) is greater than 1**

- Temperature and pressure are **not constrained** to the saturation relation (Colaprete et al., 2003)
- But Colaprete et al.(2003) simulates by 1D cloud model
 - It is unclear whether mean temperature profile become supersaturated



In this study

- We investigate whether convection with major component condensation occur and how it behaves asymptotically
 - Specifically, we investigate **distribution of cloud and flow field** such as vertical velocity in Early Martian atmosphere
 - As a first step, we do not solve radiation transfer explicitly, and focus on interaction between dynamics and cloud microphysics
 - In the future, we consider interaction among dynamics, radiation and cloud microphysics explicitly, and approach the warm climate problem on Early Mars

Outline of model description

- Quasi-compressible equations (Klemp and Wilhelmson, 1978)
 - 2D in horizontal and vertical directions
 - Pure CO₂ atmosphere
- CO₂ cloud microphysics
 - Diffusional growth and gravitational settling of cloud particles
- Radiative transfer: horizontally uniform cooling
- Surface flux: Louis (1979)
- Turbulent mixing: 1.5 order closure model (Klemp and Wilhelmson, 1978)

Governing equations

- Quasi-compressible equations (Klemp and Wilhelmson, 1978) and conservation equation for CO₂ ice

Momentum equation:

$$\frac{\partial \mathbf{u}}{\partial t} = -\mathbf{u} \cdot \nabla \mathbf{u} - C_p \bar{\theta} \nabla \Pi' + \mathbf{D}_u + \frac{\theta'}{\bar{\theta}} \mathbf{g} - \frac{R}{p_0} \frac{\bar{\theta}}{\bar{\Pi}^{c_v/R}} \rho_s \mathbf{g}$$

Drag force

Pressure equation:

$$\frac{\partial \Pi'}{\partial t} = -\frac{\bar{c}_s^2}{C_p \bar{\rho} \bar{\theta}^2} \nabla \cdot (\bar{\rho} \bar{\theta} \mathbf{u}) + \frac{\bar{c}_s^2}{C_p \bar{\theta}^2 \bar{\Pi}} (Q_{dis} + Q_{rad}) + \frac{\bar{c}_s^2 L}{C_p^2 \bar{\rho} \bar{\theta}^2 \bar{\Pi}} M_{cond} - \frac{\bar{c}_s^2}{C_p \bar{\rho} \bar{\theta}} M_{cond}$$

Thermodynamic equation:

$$\frac{\partial \theta'}{\partial t} = -\mathbf{u} \cdot \nabla \theta' - w \frac{\partial \bar{\theta}}{\partial z} + \frac{1}{\bar{\Pi}} \left(\frac{LM_{cond}}{C_p \bar{\rho}} + Q_{dis} + Q_{rad} \right) + D_\theta$$

$\mathbf{u} = (u, w)$: Velocity, θ : Potential temperature,

Conservation equation for CO₂ ice:

$$\frac{\partial \rho_s}{\partial t} = -\nabla \cdot (\rho_s \mathbf{u}) + \underbrace{M_{fall}}_{\text{Gravitational settling term}} + \underbrace{M_{cond}}_{\text{Condensation term}} + D_{\rho_s}$$

Π : The Exner function, ρ : Density of vapor,
 ρ_s : Density of cloud, T : Temperature,
 c_s : Sound speed,
 C_p : Specific heat at constant pressure,
 L : Latent heat, M_{cond} : Condensation rate,
 Q_{dis} : Dissipative heating rate,
 Q_{rad} : Radiative heating rate,
 $\mathbf{D}_u = (D_u, D_w), D_\theta, D_{\rho_s}$: Turbulent diffusion term,
 $\mathbf{g} = (0, g)$: Gravitational acceleration

Formulation of condensation/evaporation

- We include the threshold of cloud density, ρ_t , which corresponds to critical radius of nucleation

	$S < 1$	$1 \leq S < S_{cr}$	$S \geq S_{cr}$
$\rho_s > \rho_t$ (activated)	Evaporation	Condensation	Condensation
$0 \leq \rho_s < \rho_t$ (not activated)		No Condensation, no evaporation	

– We assume $\rho_t = 1.0 \times 10^{-6} \text{ kg/m}^3$

- Condensation / evaporation rate (e.g., Tobie et al., 2003)

$$M_{\downarrow cond} = 4\pi r \rho N^* k R \theta^2 \pi^2 / L^2 (S - 1)$$

$$S = \frac{p}{p_*} : \text{Saturation ratio}$$

p : Pressure p_* : Saturation pressure

N^* : Number density of condensation nuclei

r : Radius of cloud particle

k : Thermal diffusion coefficient

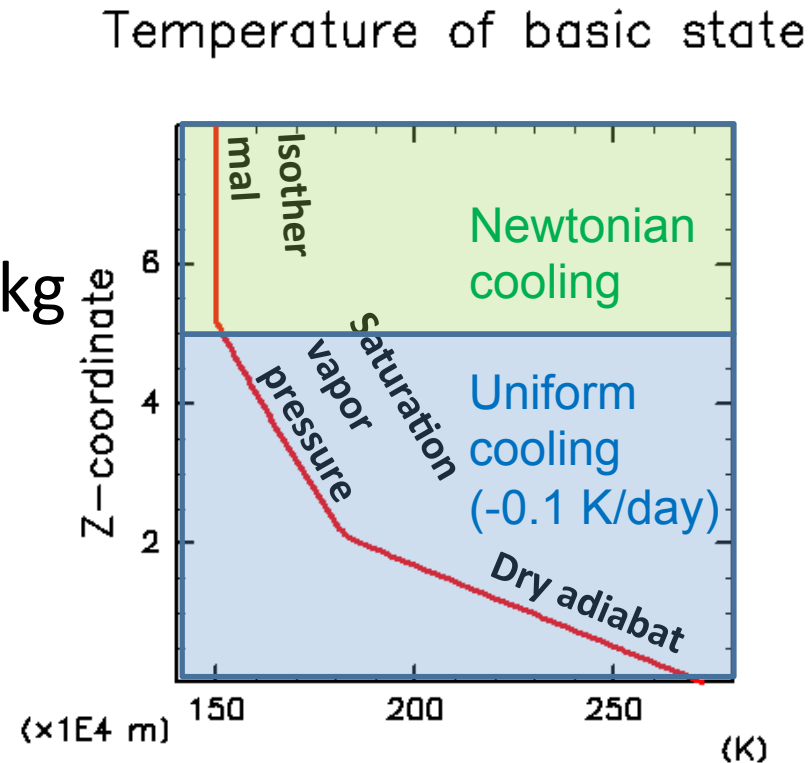
L : latent heat

– We consider diffusional growth of cloud particle

– N^* , k , L are constant

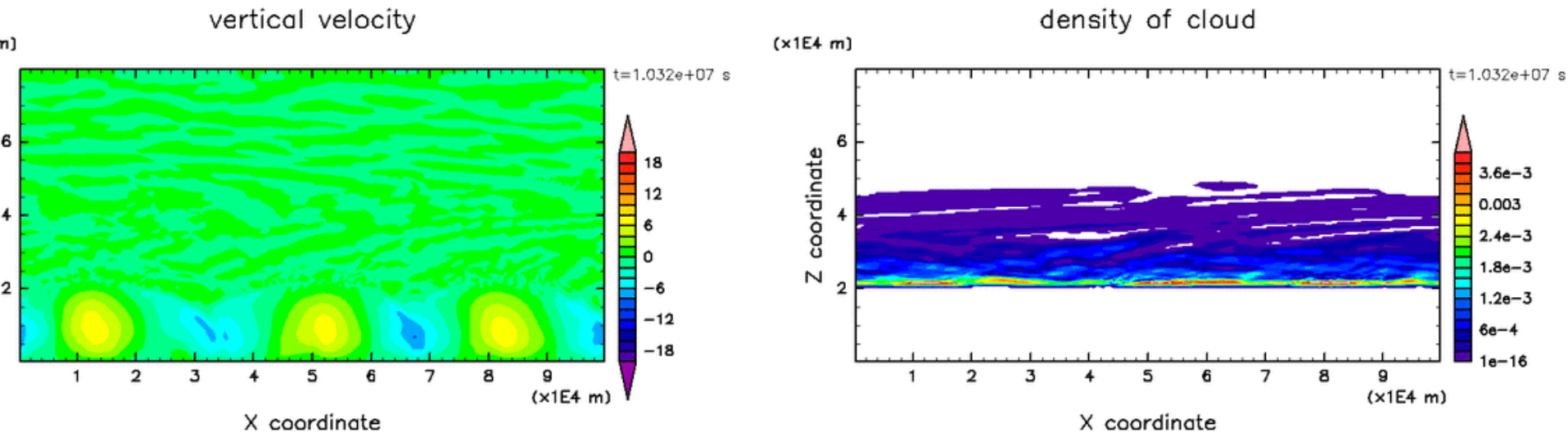
Setup of baseline experiment

- Initial temperature: right figure
- Cooling rate: right figure
- Critical saturation ratio(Scr): 1.0
- Number density of condensation nuclei (N^*): $5.0e8$ /kg
 - follows Tobie et al.(2003)
- Surface pressure: $2.0e5$ Pa
- Surface temperature: 273K
- Integration time: 120 days
- Domain size:
 - 100km in the horizontal direction(grid spacing: 500m)
 - 80km in the vertical direction (grid spacing: 400m)



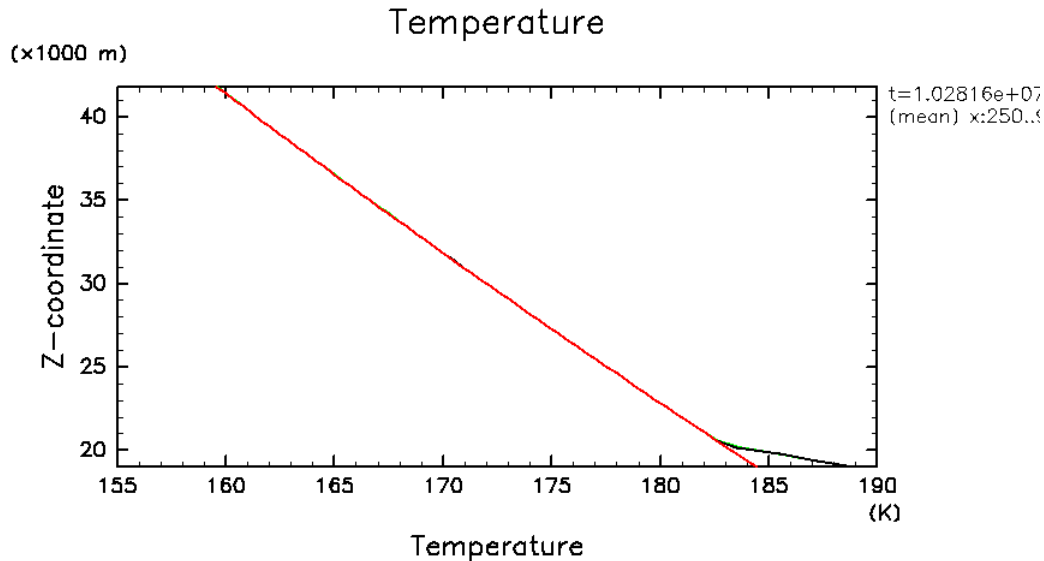
Baseline experiment

A statistical equilibrium solution

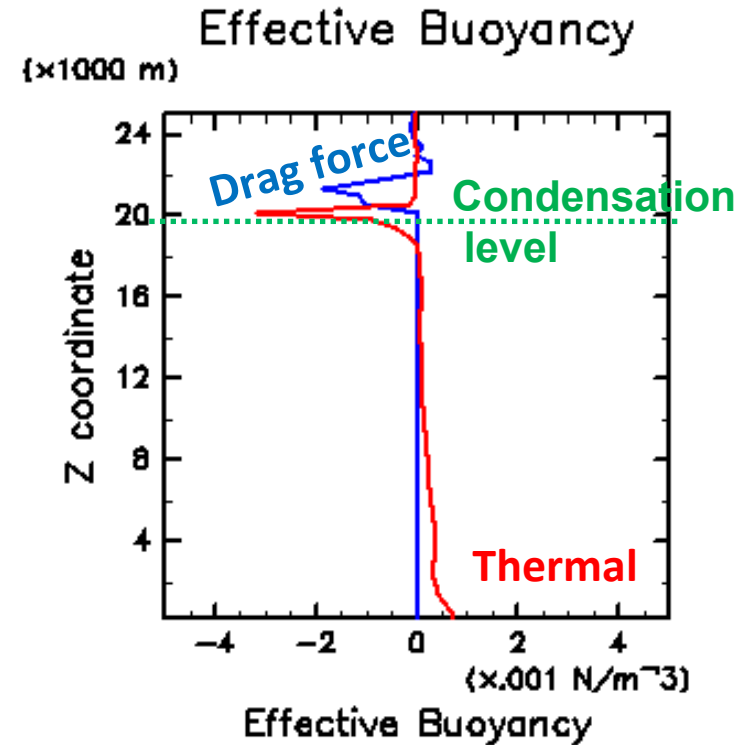


- Cloud layer forms between 20 km and 50 km altitude
- Most of cloud mass is distributed near the condensation level(20 km)
- Vertical velocity in cloud layer is much smaller than those below the condensation level, and is 0.5 m/s at a maximum

A statistical equilibrium solution



Black: Temperature of ascent region,
Green: mean temperature profile,
Red: Saturation temperature

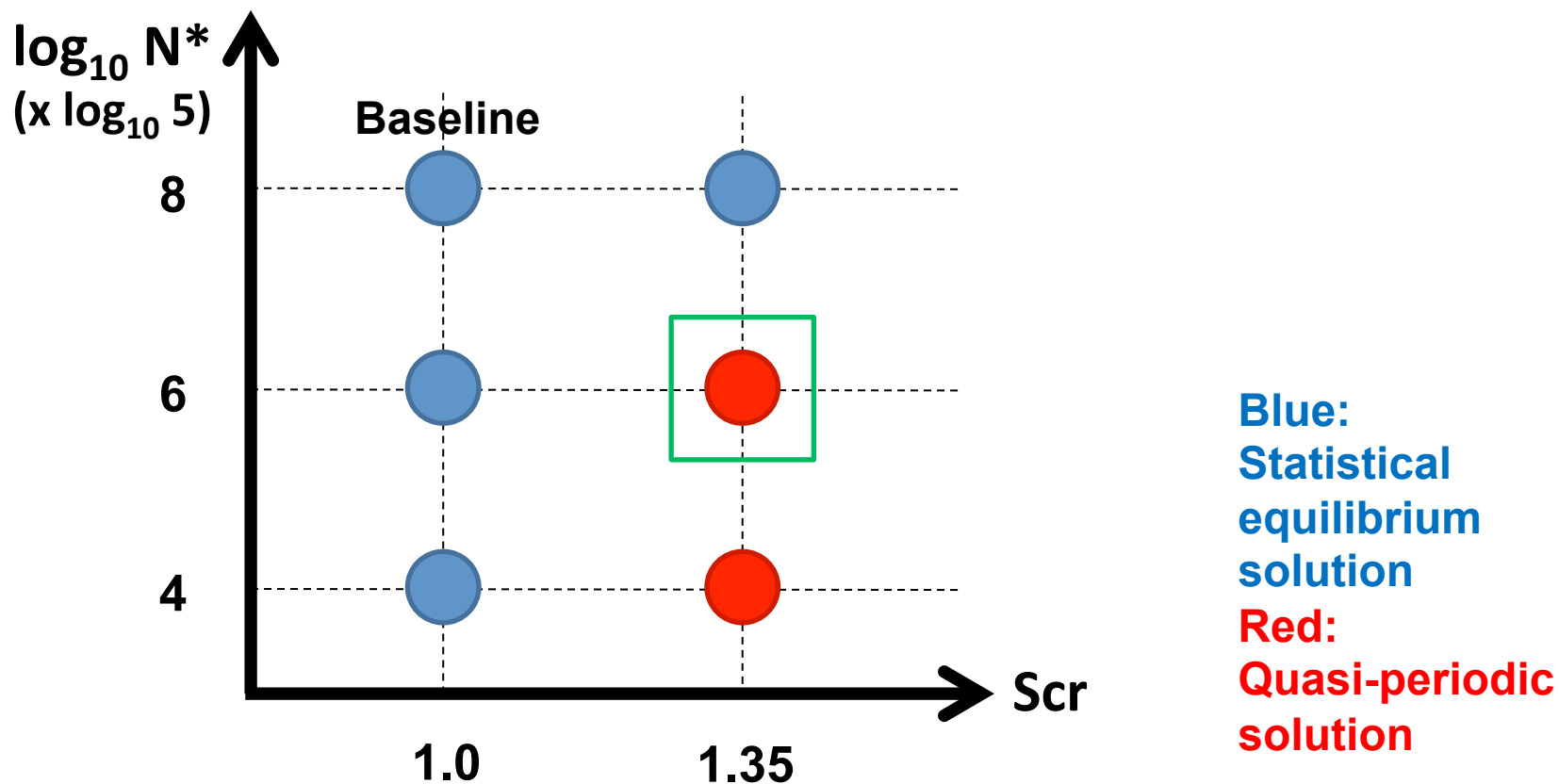


- Temperature of ascent region and mean temperature approximately equals to saturation temperature
- An air parcel does not obtain buoyancy in the cloud layer, and strong vertical motion does not occur
- It is consistent with Colaprete et al.(2003)

Parameter experiments

Parameter experiments

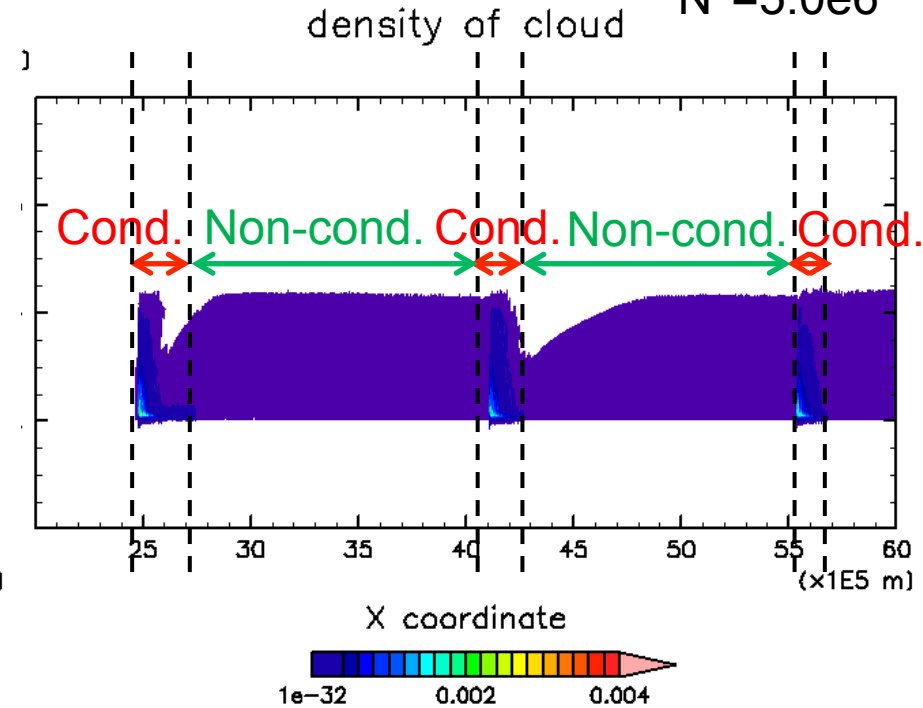
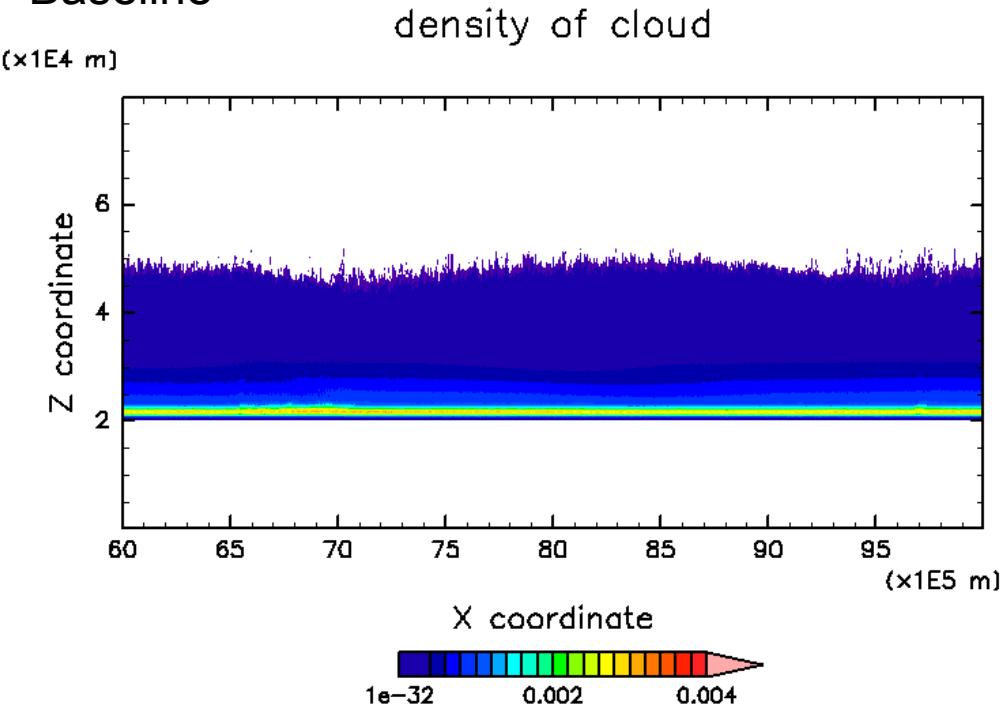
- $Scr = 1.0$ or 1.35
 - The value of $Scr=1.35$ is based on Glandorf et al.(2002)
- $N^*=5.0e4$ or $5.0e6$ or $5.0e8$ /kg
 - The range of N^* is based on Tobie et al.(2003), Forget et al.(2013)



A quasi-periodic solution

Scr=1.35,
N*=5.0e6

Baseline

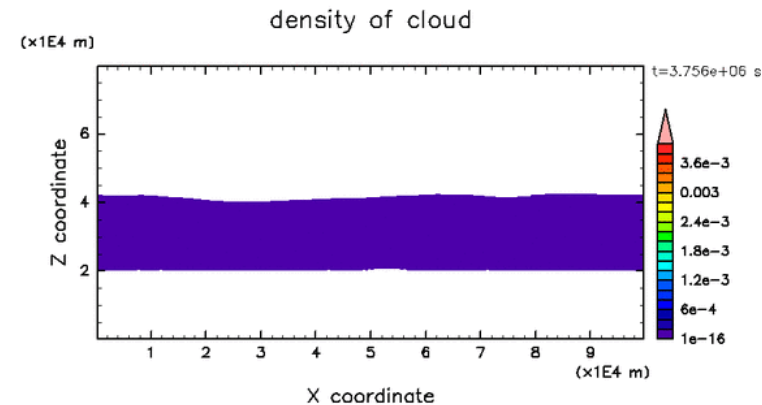
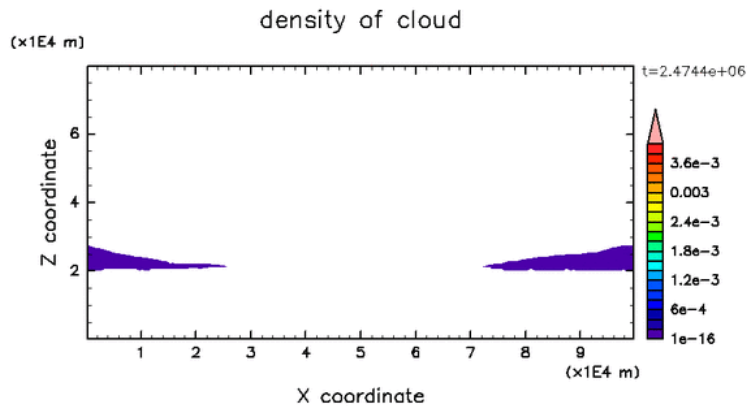
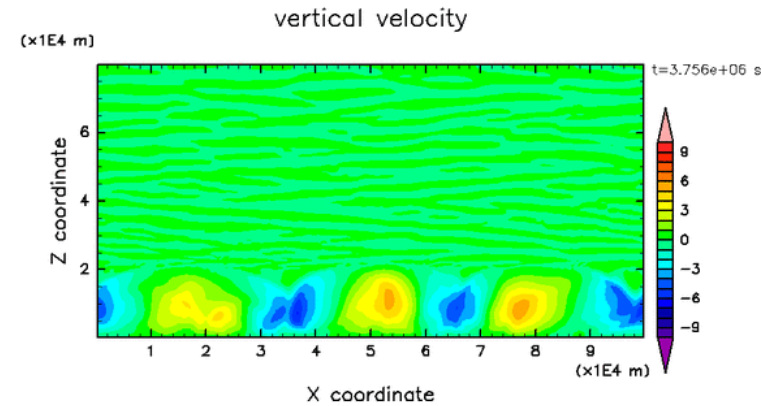
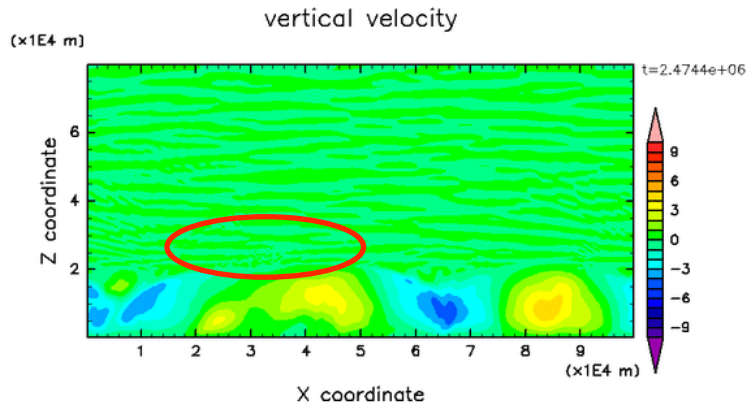


- Condensation and non-condensation periods occur alternately

Condensation
period

A quasi-periodic solution

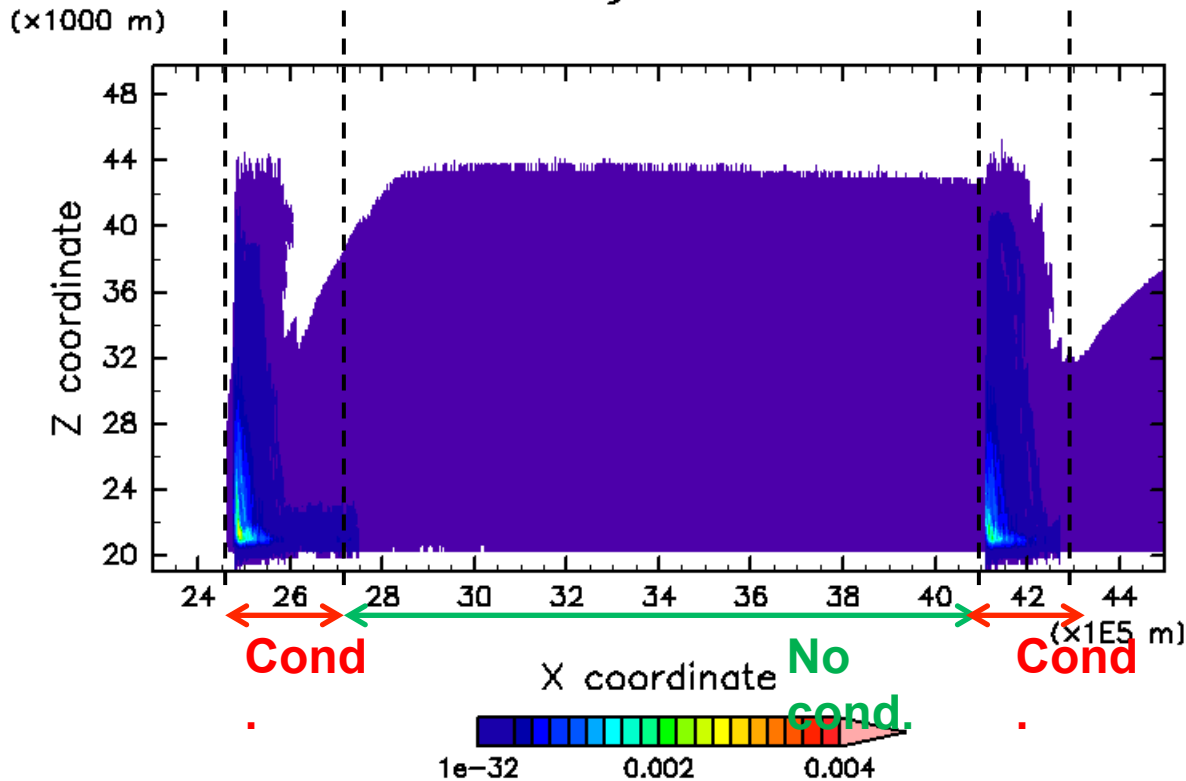
Non-condensation
period



- Condensation period: vertical velocity of 2-3m/s in the cloud
- Non-condensation period: wispy cloud layer, small velocity (<0.5m/s) in the cloud layer

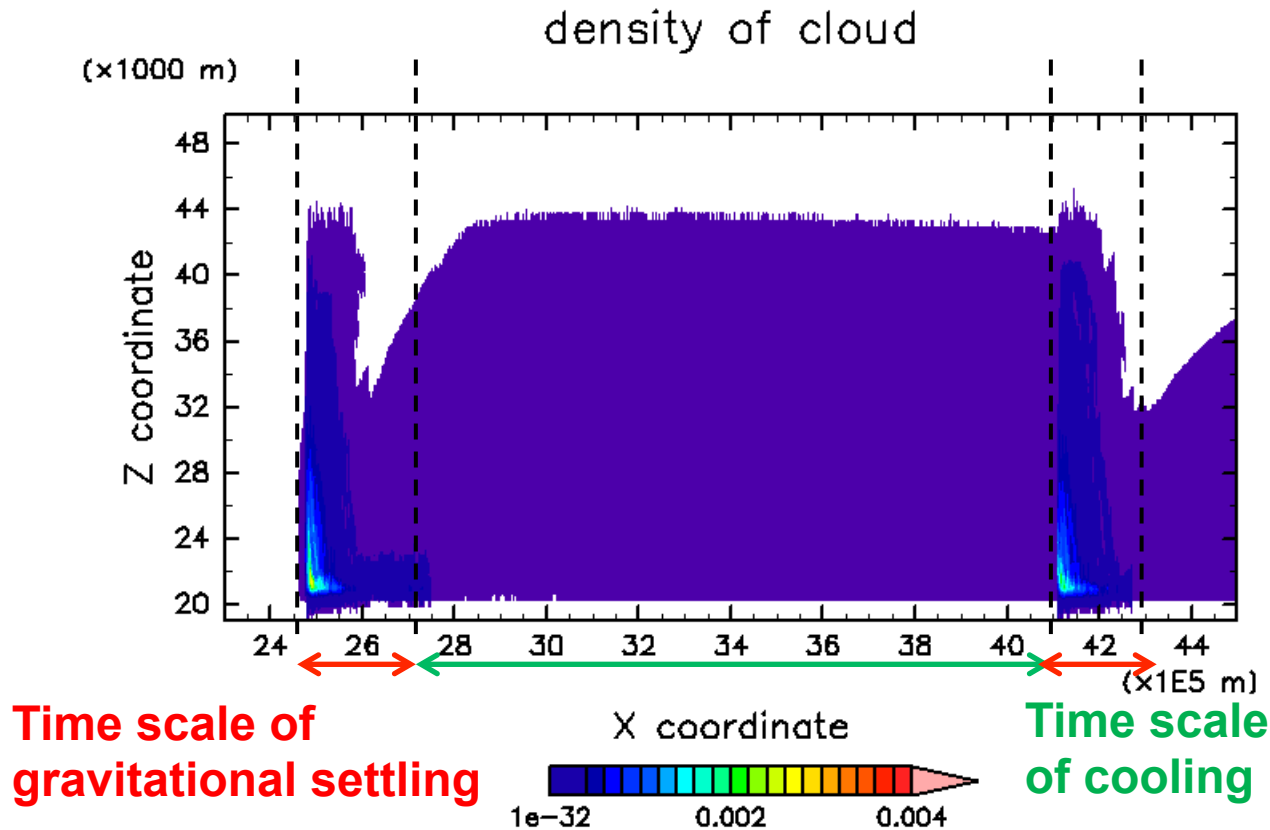
Why can the solution be periodic?

- Cloud density falls below the threshold of condensation due to gravitational settling, and non-condensation period begins
 - “■” represents the region in which cloud density falls below the threshold
- Cloud layer is cooled until saturation ratio equals to Sc_r approximately, and condensation period begins



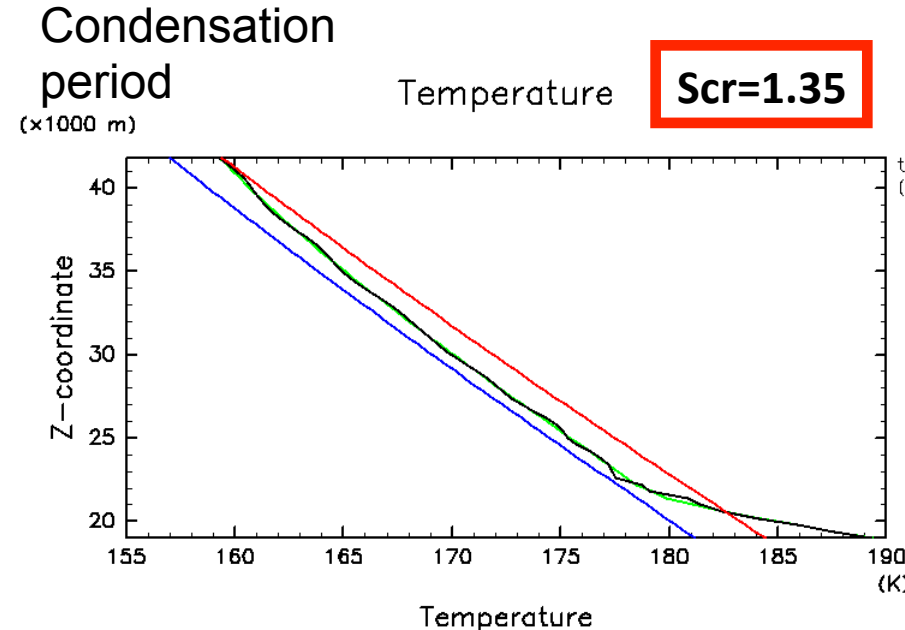
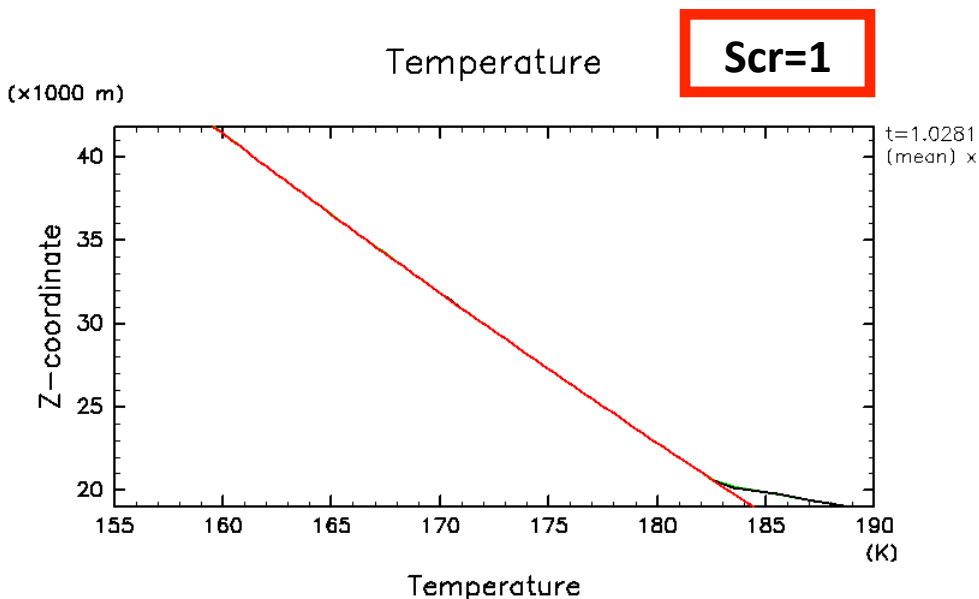
Time scale of gravitational settling and cooling determines period of solution

- Time scale of gravitational settling $\sim (10000 \text{ m}) / (0.1 \text{ m/s}) \sim 1.0 \times 10^5 \text{ s}$
- Time scale of cooling $\sim (2 \text{ K}) / (0.1 \text{ K/day}) \sim 2.0 \times 10^6 \text{ s}$
- The period $\sim 1.5 \times 10^6 \text{ s}$



Our study supports Colaprete et al.(2003)

- In the condensation period, mean temperature profile become supersaturated
 - When condensation occurs in ascent region, the difference of temperature of ascent region and mean temperature occurs, and air parcel can obtain buoyancy



Black: Temperature of ascent region, **Green:** mean temperature,
Red: Saturation temperature, **Blue:** Temperature of S=1.35

Summary

- We obtain statistical equilibrium and quasi-periodic solutions
 - $Sc_r=1.0$: Statistical equilibrium solutions
 - $Sc_r=1.35$: Quasi-periodic solutions except for case of high N^*
- Statistical equilibrium solutions
 - Cloud layer forms between 20 km and 50 km altitude
 - Most of cloud mass is distributed near the condensation level
 - Vertical velocity in cloud layer is much smaller than those below the condensation level, and is 0.5 m/s at a maximum
- Quasi-periodic solutions
 - Condensation and non-condensation periods occur alternately
 - Condensation period: vertical velocity of 2-3m/s in the cloud
 - Non-condensation period: wispy cloud layer, small velocity (<0.5m/s) in the cloud layer